Selectively De-Animating Video

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SIGGRAPH 2012

CS 448V: Computational Video Manipulation

Inspiration



http://cinemagraphs.com/

Cinemagraphs





Input Video

Final Result

De-Animating Video





Input Video

Final Result

Example Walkthrough



Input Video

Example Walkthrough



De-Animate Strokes



Compositing Strokes



Input Video



Warped Video

Cinemagraphs





Input Video

Final Result









K(s, t) = set of tracks as a table of 2D coordinates

s = track index t = time (frame number)



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 $K_G (s, t) =$ subset of tracks that lie on the user indicated region $K'_G (s, t) =$ locations of tracks after warping $K'_G (s, t) = K_G (s, t_a)$

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 $K_G = K_A$

anchor tracks



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 $K_G = K_A ~ U ~ K_F$

floating tracks



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 $K_G = K_A ~ U ~ K_F$







$$E = E_a + \omega E_s$$

$$E(\hat{V}) = E_d(\hat{V}) + \alpha E_s(\hat{V}),$$

$$E_a = \sum_{s \in K_A, t} l(s, t) |K_A(s, t_a) - \mathbf{w}(s, t) \cdot \mathbf{V}'(s, t)|^2$$

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K'A (s, t)

$$E_a = \sum_{s \in K_A, t} \left| l(s, t) \right| K_A(s, t_a) - \mathbf{w}(s, t) \cdot \mathbf{V}'(s, t) |^2$$
weighting
function



$E = E_a + E_f + \omega E_s$

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K'F (s, t_a) ???

$E = E_a + E_f + \omega E_s$

$$E_f = \sum_{s \in K_F, t} l(s, t) |\mathbf{w}(s, t) \cdot \mathbf{V}'(s, t) - \mathbf{w}(s, t+1) \cdot \mathbf{V}'(s, t+1)|^2$$

$E = E_a + E_f + \mathbf{W}E_s$ $E_f = \sum_{s \in K_F, t} l(s, t) |\mathbf{w}(s, t) \cdot \mathbf{V}'(s, t)| - |\mathbf{w}(s, t+1) \cdot \mathbf{V}'(s, t+1)|^2$ $K'_F(s, t) \quad K'_F(s, t+1)$

Warping: Result





Input Sequence

Our Warped Video

System Diagram





Labels L = W U S

Labels L = VV U S

dynamic: copies of warped video W(x, y, t)

 $W = \{W\} \text{ or } \{W_i, W_j\} \text{ (if loop seamlessly)}$

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static: still-frames from input video repeated to fill duration of output

$$S = \{|_{b}, |_{2b}, \dots |_{5b}\}$$

b= time interval that evenly samples the input five times $l_b=$ video where both frame of input video is repeated for duration of output

Labels L = W U S

dynamic: copies of warped video W(x, y, t)

 $W = \{W\} \text{ or } \{W_i, W_j\} \text{ (if loop seamlessly)}$

static: still-frames from input video repeated to fill duration of output

 $S = \{I_b, I_{2b}, \dots, I_{5b}\}$

or "clean plate"

b= time interval that evenly samples the input five times $I_b=$ video where both frame of input video is repeated for duration of output












Compositing: Labeling Constraints

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From user-drawn compositing strokes:

• If v(x, y) =**blue**, $\lambda(x, y, t) \in W$

 $v(x, y) = strokes \{red, blue, NULL\}$

• If $v(x, y) = \text{red}, \lambda(x, y, t) \in S$

Compositing: Labeling Constraints

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• If $v(x, y) = \text{red}, \lambda(x, y, t) \in S$

For seamless looping:

- $\lambda(x, y, 0) \neq W_i$
- $\lambda(x, y, 20) \neq W_j$



$$\Phi(p_1, p_2, \lambda_1, \lambda_2) = \frac{\gamma(p_1, p_2, \lambda_1, \lambda_2)}{Z(p_1, p_2, \lambda_1, \lambda_2)}$$

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RGB differences

$$\Phi(p_1, p_2, \lambda_1, \lambda_2) = \frac{\gamma(p_1, p_2, \lambda_1, \lambda_2)}{Z(p_1, p_2, \lambda_1, \lambda_2)} \quad \text{edge strengths}$$

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$$\gamma(p_1, p_2, \lambda_1, \lambda_2) = |C(p_1, \lambda_1) - C(p_1, \lambda_2)|^2 + |C(p_2, \lambda_1) - C(p_2, \lambda_2)|^2$$

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color of pixel p_2 in candidate video volume $\lambda(p_1)$

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$$Z(p_1, p_2, \lambda_1, \lambda_2) = \begin{cases} \sigma(p_1, p_2, \lambda_1) & \lambda_1 \in \mathbf{W} \land \lambda_2 \in \mathbf{S} \\ \sigma(p_1, p_2, \lambda_2) & \lambda_1 \in \mathbf{S} & \land \lambda_2 \in \mathbf{W} \\ \frac{1}{2}[\sigma(p_1, p_2, \lambda_1) + \sigma(p_1, p_2, \lambda_2)] & \text{Otherwise} \end{cases}$$

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only consider dynamic candidates for seams between dynamic and static

$$Z(p_1, p_2, \lambda_1, \lambda_2) = \begin{cases} \sigma(p_1, p_2, \lambda_1) \\ \sigma(p_1, p_2, \lambda_2) \\ \frac{1}{2} [\sigma(p_1, p_2, \lambda_1) + \sigma(p_1, p_2, \lambda_2)] \end{cases} \begin{array}{l} \lambda_1 \in \mathbf{W} \land \lambda_2 \in \mathbf{S} \\ \lambda_1 \in \mathbf{S} \land \lambda_2 \in \mathbf{W} \\ \lambda_1 \in \mathbf{S} \land \lambda_2 \in \mathbf{W} \end{cases}$$

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$$\sum_{p1,p2} \Phi(p_1, p_2, \lambda_1, \lambda_2)$$

System Diagram





Final Result



De-Animating Strokes



Compositing Strokes



and the second second

Results: Model K





Input Video

Final Result

Results: Glass





Input Video

Final Result

Results: Glass





Input Sequence

De-Animate Strokes

Results: Glass



Compositing Strokes



Our Warped Video



Final Result

Results: Video Editing

Warped Video, no Compositing

Results: Roulette





Final Result

Input Video

Results: Roulette



Input Sequence



De-Animate Strokes

Results: Roulette



Compositing Strokes



Our Warped Video



Final Result

Results: Video Editing



Assumptions

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• Input captured with a tripod (or previously stabilized)

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- Assume large-scale motions can be be de-animated with 2D warps
- Objects to de-animate shot in front of a defocused, uniform, or uniformly-textured background

Limitations: 3D Motion



Homography



Input



De-Animate Strokes



Our Warped

Limitations: Background



Hard Constraints



GMM Constraints

Limitations

• What happens if the input video is not stabilized?

Follow-up

- This system includes some manual annotation, how would you automate the user input?
- Specifically, what would you do for faces?

Follow-up: Cinemagraph Portraits



"Automatic Cinemagraph Portraits" Bai et al. EGSR 2013
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CS 448V: Computational Video Manipulation

Warping: Tracking



Warping: Initial vs Refined





Our Warped Video with Anchored Tracks Our Warped Video with Floating Tracks

Results: Existing Techniques





Warp Stabilizer

Our Warped Video

Adapted Cost Function

$$M'(s,t,\mathbf{A},\mathbf{B}) = \frac{M(s,t,\mathbf{A},\mathbf{B})}{\|\mathbf{G}_{\mathbf{A}}^{d}(s)\| + \|\mathbf{G}_{\mathbf{A}}^{d}(t)\| + \|\mathbf{G}_{\mathbf{B}}^{d}(s)\| + \|\mathbf{$$

Graph-cut

$$Z(p_1, p_2, \lambda_1, \lambda_2) = \begin{cases} \sigma(p_1, p_2, \lambda_1) & \lambda_1 \in \mathbf{W} \land \lambda_2 \in \mathbf{S} \\ \sigma(p_1, p_2, \lambda_2) & \lambda_1 \in \mathbf{S} \land \lambda_2 \in \mathbf{W} \\ \frac{1}{2}[\sigma(p_1, p_2, \lambda_1) + \sigma(p_1, p_2, \lambda_2)] & \text{Otherwise} \end{cases}$$

User Input: De-animated Static





de-animate strokes

compositing strokes

User Input: De-animated Dynamic





de-animate strokes

compositing strokes

System Diagram



System Diagram

