# Using Space Effectively: 2D 

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CS 448B: Visualization
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## Assignment 3: Dynamic Queries

Create a small interactive dynamic query application similar to Homefinder, but for SF Tree Data.

1. Implement interface and produce final writeup
2. Submit the application and a final writeup on canvas


Can work alone or in pairs Due before class on Oct 30, 2017

## Final project

Design new visualization method (e.g. software)

- Pose problem, Implement creative solution
- Design studies/evaluations less common but also possible (talk to us)


## Deliverables

$\square$ Implementation of solution

- 6-8 page paper in format of conference paper submission
- Project progress presentations


## Schedule

- Project proposal: Mon 11/6

Project progress presentation: 11/13 and 11/15 in class (3-4 min)

- Final poster presentation: 12/6 Location: Lathrop 282
- Final paper: 12/10 11:59pm


## Grading

$\square$ Groups of up to 3 people, graded individually
$\square$ Clearly report responsibilities of each member

## Using Space Effectively: 2D

## Topics

Displaying data in graphs
Selecting aspect ratio
Fitting data and depicting residuals
Graphical calculations
Zooming and Focus + Context
Cartographic distortion

## Graphs and Lines

## Effective use of space

Which graph is better?


Government payrolls in 1937 [Huff 93]

## Aspect ratio

Fill space with data
Don' t worry about showing zero


Yearly CO2 concentrations [Cleveland 85]

## Clearly mark scale breaks



Poor scale break [Cleveland 85]


Well marked scale break [Cleveland 85]

## Scale break vs. Log scale


[Cleveland 85]

## Scale break vs. Log scale



[Cleveland 85]
Both increase visual resolution

- Log scale - easy comparisons of all data
- Scale break - more difficult to compare across break


## Linear scale vs. Log scale




## Linear scale vs. Log scale

Linear scale

- Absolute change


Log scale

- Small fluctuations
- Percent change $d(10,20)=d(30,60)$



## Semilog graph: Exponential growth

Exponential functions $\left(y=k a^{m x}\right)$ transform into lines $\log (y)=\log (k)+\log (a) m x$ Intercept: log(k)
Slope: $\quad \log (a) m$


$y=6^{0.5 x}$, slope in semilog space: $\log (6)^{*} 0.5=0.3891$

## Semilog graph: Exponential decay

Exponential functions $\left(y=k a^{m x}\right)$ transform into lines $\log (y)=\log (k)+\log (a) m x$
Intercept: $\log (k)$
Slope: $\quad \log (a) m$

$y=0.5^{2 x}$, slope in semilog space: $\log (0.5)^{*} 2=-0.602$

## Log-Log graph

Power functions ( $\mathrm{y}=\mathrm{kx} x^{\mathrm{a}}$ ) transform into lines
Example - Steven's power laws:

$$
S=k I^{p} \rightarrow \log S=\log k+p \log I
$$




## Selecting Aspect Ratio

## Aspect ratio

Fill space with data
Don' t worry about showing zero


Yearly CO2 concentrations [Cleveland 85]


## Banking to $45^{\circ}$ [Cleveland]

To facilitate perception of trends, maximize the discriminability of line segment orientations


Two line segments are maximally discriminable when avg. absolute angle between them is $45^{\circ}$

Optimize the aspect ratio to bank to $45^{\circ}$

## Aspect-ratio banking techniques

Median-Absolute-Slope Average-Absolute-Slope

$$
\alpha=\text { median }\left|s_{i}\right| R_{x} / R_{y} \quad \alpha=\text { mean }\left|s_{i}\right| R_{x} / R_{y}
$$

Has Closed Form Solution

Average-Absolute-Orientation Max-Orientation-Resolution
Unweighted
Global (over all i, j s.t. i=j])

$$
\sum_{i} \frac{\left|\theta_{i}(\alpha)\right|}{n}=45^{\circ}
$$

$$
\sum_{i} \sum_{j}\left|\theta_{i}(\alpha)-\theta_{j}(\alpha)\right|^{2}
$$

Weighted

$$
\frac{\sum_{i}\left|\theta_{i}(\alpha)\right| l_{i}(\alpha)}{\sum l_{i}(\alpha)}=45^{\circ}
$$

Local (over adjacent segments)

$$
\sum_{i}\left|\theta_{i}(\alpha)-\theta_{i+1}(\alpha)\right|^{2}
$$

Requires Iterative
Optimization

An alternate approach:
Minimize arc length (hold area constant)


Straight line -> 45 deg


Ellipse -> Circle

## Perceptual model based aspect ratio



Ask people to estimate slope ratios for different conditions
Use data to fit a model derived from perceptual theory

[Talbot 12]
$\mathrm{CO}_{2}$ Measurements
William S. Cleveland Visualizing Data

## Multi-Scale Banking to $45^{\circ}$

Idea: Use Spectral Analysis to identify trends
Find strong frequency components
Lowpass filter to create trend lines


## Fitting the Data



[The Elements of Graphing Data. Cleveland 94]


## Transforming data

How well does curve fit data?

[Cleveland 85]

## Transforming data

Residual graph

- Plot vertical distance from best fit curve
- Residual graph shows accuracy of fit

[Cleveland 85]


## Most powerful brain?




The Dragons of Eden [Carl Sagan]



Most powerful brain


Beautiful Evidence [Tufte]

## Graphical Calculations

## Nomograms



Sailing: The Rule of Three

## Nomograms



1. Compute in any direction; fix $n-1$ params and read nth param
2. Illustrate sensitivity to perturbation of inputs
3. Clearly show domain of validity of computation

## Theory

$$
\left|\begin{array}{ccc}
x_{1}(u) & y_{1}(u) & w_{1}(u) \\
x_{2}(v) & y_{2}(v) & w_{2}(v) \\
x_{3}(s, t) & y_{3}(s, t) & w_{3}(s, t)
\end{array}\right|=0
$$

## Slide rule



Model 1474-66 Electrotechnica 18 Scales

Tehnolemn Timisoara Slide Rule Archive http://pubpages.unh.edu/~jwc/tehnolemn/


## Lambert's graphical construction



Johannes Lambert used graphs to study the rate of water evaporation as function of temperature [from Tufte 83]


## Focus + Context




## Degree-of-Interest [Furnas 81, 06]

Estimate the saliency of information to display Can affect what is shown and/or how to show it

DOI ~ f(Current Focus, A Priori Importance)
Example: Google Search
Current Focus = Query Hits (e.g., TF.IDF score)
A Priori Importance = PageRank
What: Top N results, How: List

TableLens ${ }_{[R a o ~ \& ~ C a r d ~ 94] ~}^{4}$


## Datelens


[Bederson et al. 04]

## Single view detail + context

- Focus area - local details
- De-magnified area - surrounding context
- Like a rubber sheet with borders tacked down


Nonlinear Magnification Infocenter [http://www.cs.indiana.edu/\~tkeahey/research/nlm/nlm.html]

## Bifocal display LLenng and Appererey 94]



2D distortion

Multifocal display LLeung and Appererey 94]


Fisheye LLeung and Apperiey eq]


## 6 types of distortions



Gaussian, Cosine, Hemisphere, Linear, Inverse Cosine and Manhattan. Top row shows transition from focus to distortion, bottom row from distortion to context.

## Perspective allows more context



Perspective Wall [Mackinlay et al. 91]

## Distortions

## Transmogrifilers <br> [Brosz et al. 13]



## Cartograms: Distort areas



Scale area by data
[From Cartography, Dent]

## Election 2012 map



## Election 2012 map


\% voted democrat
$\square$ \% voted republican

## Election 2012 map



## Statistical map with shading



Figure 5. Statistical map with shading
[Cleveland and McGill 84]

## Framed rectangle chart



## Rectangular cartogram



American population [van Kreveld and Speckmann 04]

## Rectangular cartogram



Native American population [van Kreveld and Speckmann 04]

## Dorling cartogram


http://www.ncgia.ucsb.edu/projects/Cartogram Central/types.htm

## States as nodes in a graph



Graphical fisheye views of graphs [Sarkar \& Brown 92]

## Distorting distances



Scale distance by data (airline fare) [From Cartography, Dent]

## London underground


http://www.thetube.com/content/history/map.asp

## Comparison to geographic map



Distorted


Undistorted

## Summary

- Space is the most important visual encoding
- Geometric properties of spatial transforms support geometric reasoning
- Show data with as much resolution as possible
- Use distortions to emphasize important information

